Fourth and Fifth Grade Strategies – *Multiplication and Division Multi-Digit Problems

Strategies the students will be using will vary depending on the size of the number. The focus is on grouping numbers and not counting by ones.

* Fourth grade students focus on continuing to become proficient in the basic multiplication/division combinations and apply those strategies to more complex problems – many which can be done mentally. They should have at least two efficient ways to solve multi-digit problems mentally or with some recording for multiplication and division.

Multiplication:

Multiplication by breaking numbers apart (using landmarks)

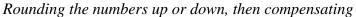
12 x 14	12 x 14	12	(another way to keep track)
$10 \times 14 = 140$	$10 \times 10 = 100$	<u>x 14</u>	, ,
$2 \times 14 = 28$	$2 \times 10 = 20$	100	
140 + 28 = 168	$4 \times 10 = 40$	20	
	$2 \times 4 = \ 8/$	40	
	$2 \times 4 = 8$ = 168	_8	

Multiplying each place, starting with the largest place (related to the traditional partial product algorithm)

Breaking up one of the numbers into parts that are easier to multiply (landmarks other than 10's)

$$\begin{array}{lll} \textbf{29 x 4} & \textbf{128 x 32} \\ (25 \text{ x 4}) + (4 \text{ x 4}) & (125 \text{ x 32}) + (3 \text{ x 32}) \\ 25 \text{ x 4} &= 100 & 125 \text{ x 32} &= (125 \text{ x 10}) + (125 \text{ x 10}) + (125 \text{ x 10}) + (125 \text{ x 2}) \\ 4 \text{ x 4} &= 16 & = 1250 + 1250 + 250 = 4000 \\ 100 + 16 &= 116 & 3 \text{ x 32} &= 96 \\ 96 + 4000 &= 4096 \\ \end{array}$$

Half and double



Please note that students may use larger numbers or chunks once they are more confident with their understanding with number. Also, the recording of the numbers is to **explain** how they solved the problem and can look tedious. Many of the steps can be done **mentally** with some keeping track on paper if necessary.

Division:

 $2 \times 13 = 26$

Subtracting groups of the divisor

$$159 \div 13$$
 159 29 $10 \times 13 = 130$ -130 -26

29

12 r3



Breaking the problem into parts

$$150 \div 48 = (50 \div 48) + (50 \div 48) + (50 \div 48) = 3 \text{ r } 6$$

(There is one 48 with 2 left over in each 50)

OR

159/13

Break into 130 + 29, 130 divided by 13 is 10; 29 divided by 13 is 2 with 3 remaining

Transferring the problem into an equivalent problem that is easier to solve.

$$1400 \div 35 = 200 \div 5$$
 (divide both numbers by 7)

$$928/16 = 464/8 = 232/4 = 116/2 = 58$$

Solving and easier related problem, then compensating

 $247 \div 13$

Solve 260 ÷ 13 (There are 20 thirteens in 260, but 247 is 13 less than 260. So there are only 19 thirteens in 247)

OR Use the Big 7 method of recording (see below)

Dealing out into groups*

159/13

Give 10 to each group; that uses up 130; 29 is left

Give 1 more to each group; that uses up 13; 16 is left

Give 1 more to each group; 3 is left.

The result is 12 in each group, remainder 3

Big 7 – (looks like a big 7) method of recording to keep track of repeated subtraction.

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7)293	\cap
-70	7×10
223	
-140	7 x 20
83	
-70	7 x 10
13	
-7	7×1
6	
	41 R 6

Fourth Grade Computation Expectations: At least two efficient strategies for multiplying and dividing multi-digit numbers.

Fifth Grade Computation Expectations are the same as fourth with continued practice and refinement of efficient strategies.